

# Mass Estimation From Images Using Deep Neural Network and Sparse Ground Truth

**Muhammad Hamdan**

Department of Electrical and Computer Engineering  
Iowa State University

**Dec 19, 2019**

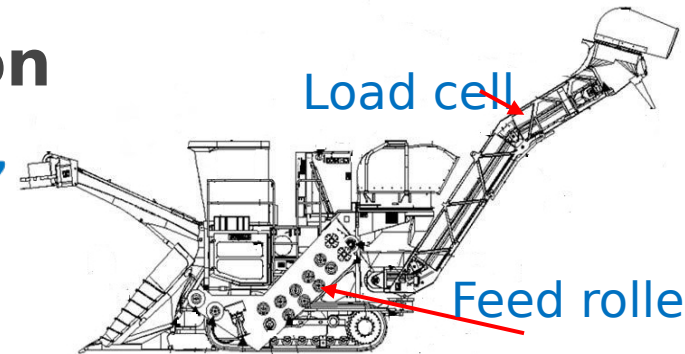
# Motivation



# Literature Review

## Sugarcane mass flow estimation methods

- Mass measurement through **load cell** [1, 2, 3, 4, 5, 6]
- Mass measurement through **load cell** [1, 2, 3, 4, 5, 6]
- Volume measurement through roller displacement [7]
- Volume measurement through roller displacement [7]
- Volume measurement via optical sensor [8, 9]
- Volume measurement via optical sensor [8, 9] ( $\sigma = 6.3\%$ )
  - Inexpensive, simple, and relatively accurate
  - (Requires calibration and highly affected by changes in material density)
  - Depends on ambient light (night time and early morning)
  - Requires calibration and highly affected by changes in material density
- **Mass measurement through images from stereo camera**



# Problem Complexity

- **Factors**

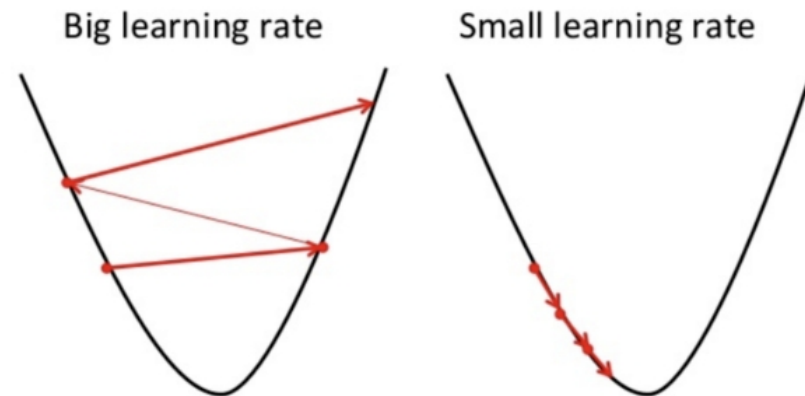
- Angle of capture
- Mass flow rate
- Frame overlap
- Variable elevator speed
- Different run sizes
- Different lighting conditions
- Sparse ground truth



# Deep Learning Basics

## What to consider when deciding on using a DNN?

- CNN architecture
  - AlexNet, VGG, GoogleNet, ResNet, Your own?
- Activation function
  - Sigmoid, Tanh, ReLU, ELU
- Choice of hyper-parameters:
  - Learning rate
- Loss function
  - Classification: Softmax
  - Regression: MSE



$$\mathbf{MSE} = L(y; \hat{y}) = \sum_{i=1}^k \frac{1}{n} \left( y_i - \hat{y}_i \right)^2$$

# Loss Function

$$L_i(x, y; w) = \frac{1}{n_i} \left\{ y_i - \sum_{j=1}^{n_i} (f(x_{ij}; w) \times v_{ij} \times t) \right\}^2$$

$$L_i(x, y; w) = \frac{1}{n_i} \left\{ y_i - \sum_{j=1}^{n_i} \hat{y}_{ij} \right\}^2$$

that we handled frame overlap, we need to figure out  
to obtain correct predictions per frame

# Gradient Update

- Our loss function
- Gradient update occurs at every end of a run
- We keep a running sum of gradients and predictions
- Compute the derivative of the loss function to apply loss

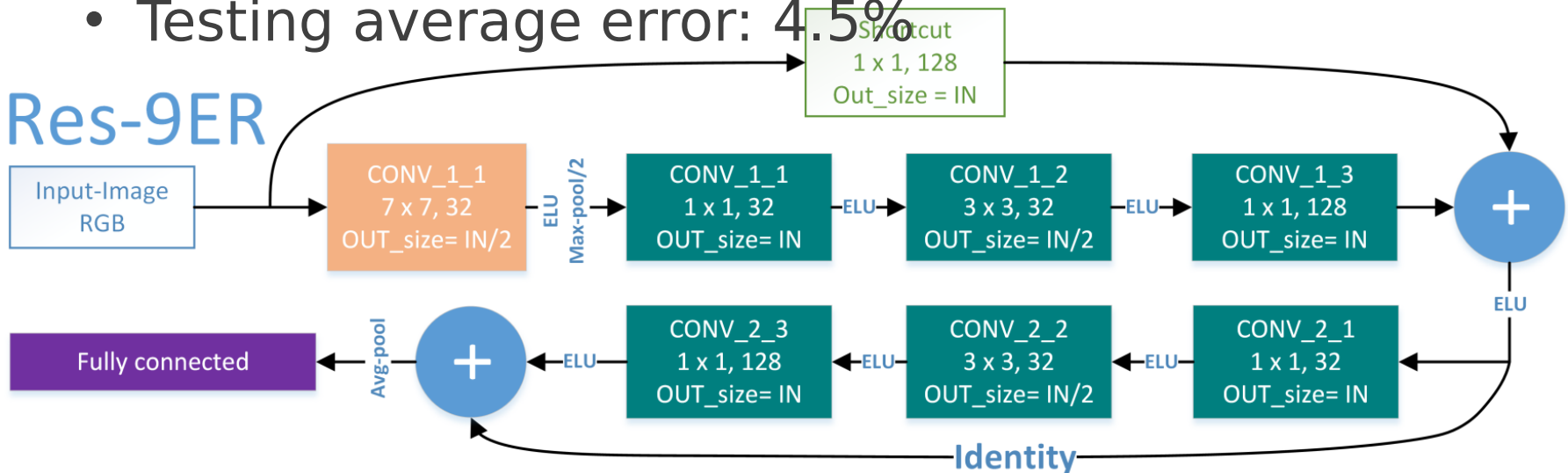
$$\frac{\partial L_i}{\partial w} \leftarrow -\frac{2}{n_i} \left[ y_i - \sum_{j=1}^{n_i} \hat{y}_{ij} \right] \times \sum_{j=1}^{n_i} \frac{\partial \hat{y}_{ij}}{\partial w}$$

# DNN Architecture Summary

## DNN Architecture

- Input image size  $96 \times 96 \times 3$  (5<sup>th</sup> original size)
- Parameters: 4K and Size of parameter: 17 MB
- Training time: ~11 hours
- Testing average error: 4.5%
- Training time: hours
- Testing average error: 4.5%

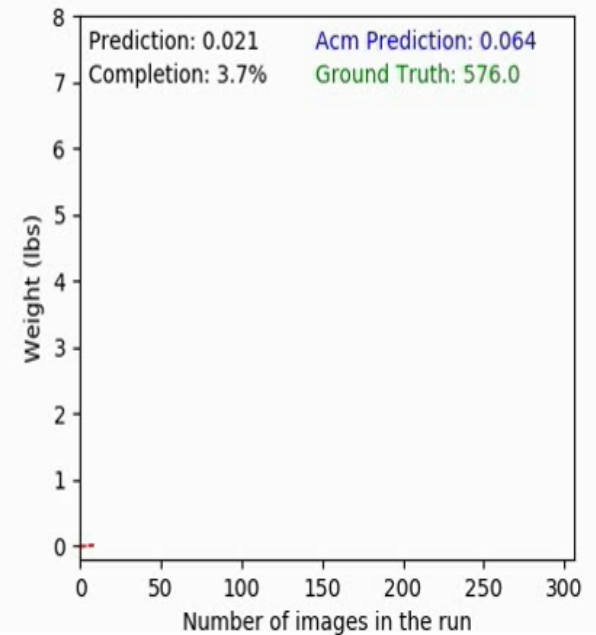
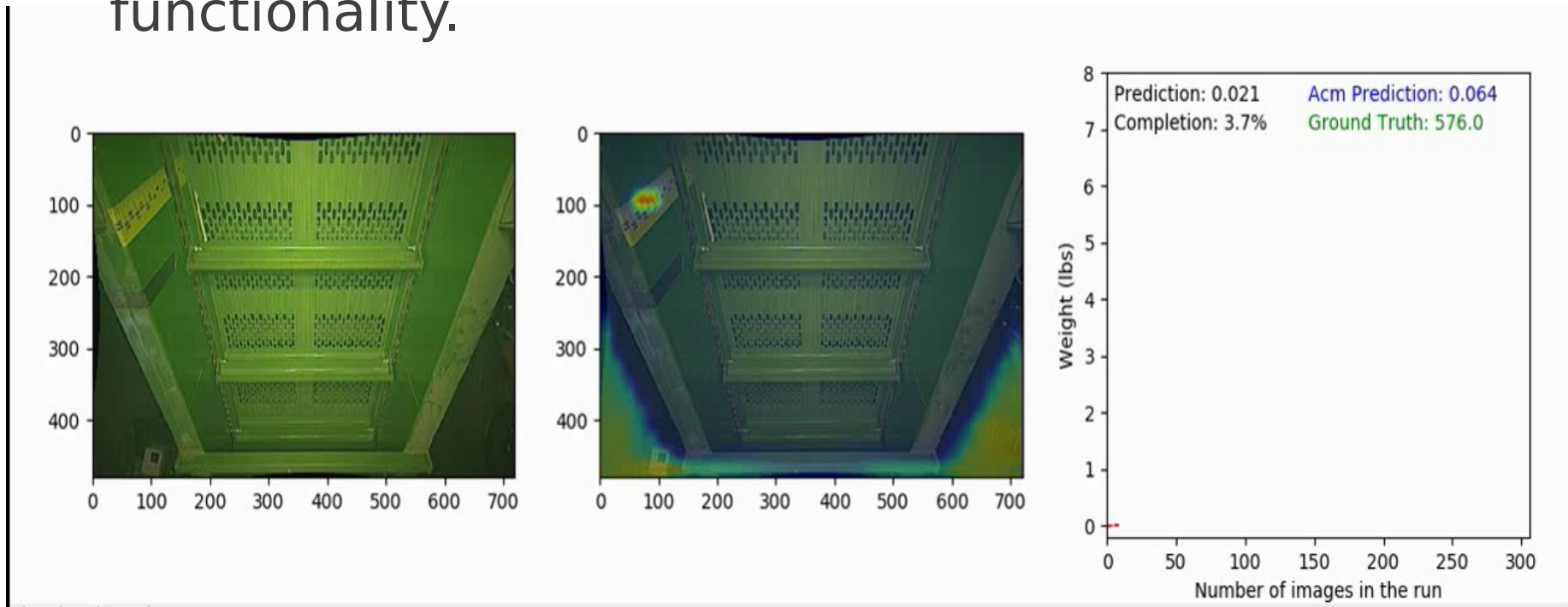
### Res-9ER



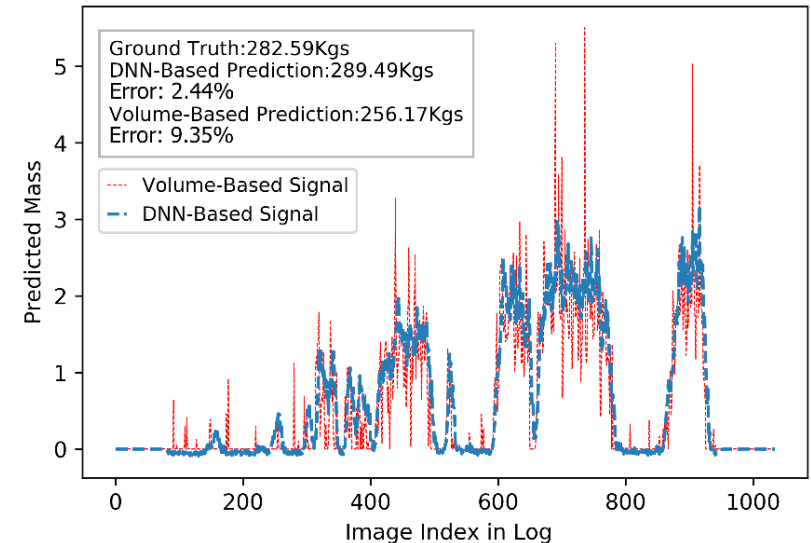
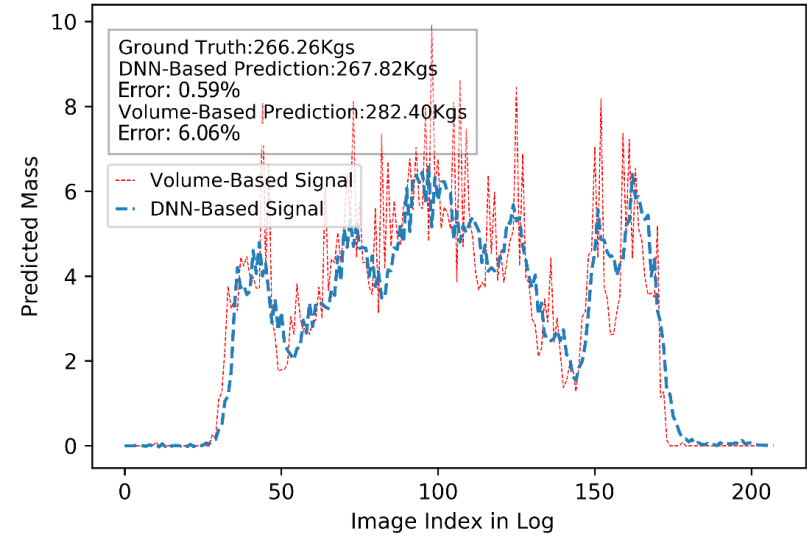
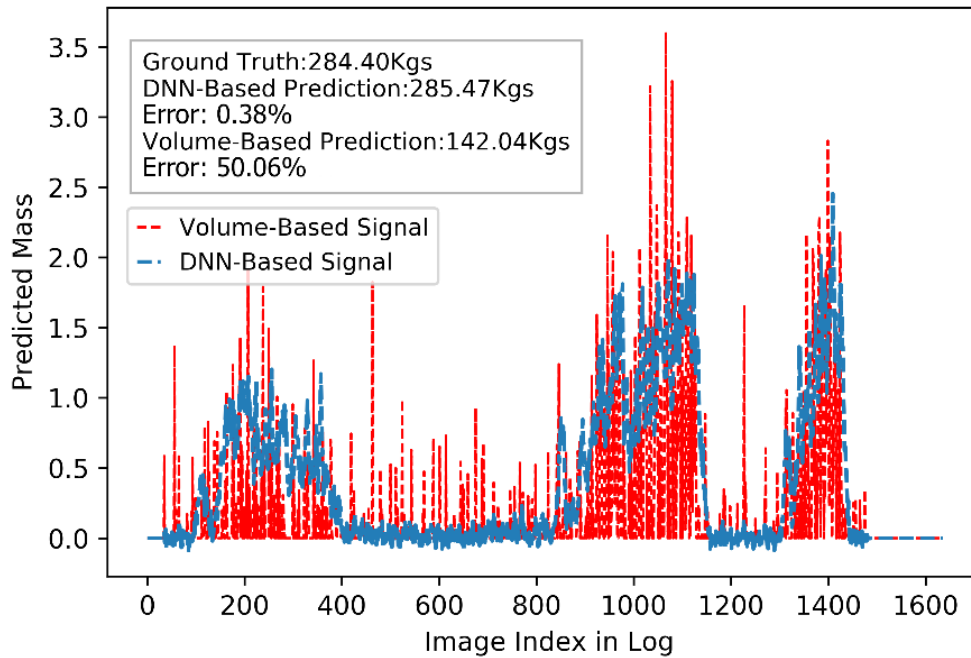


# What is Going on Behind the Scenes?

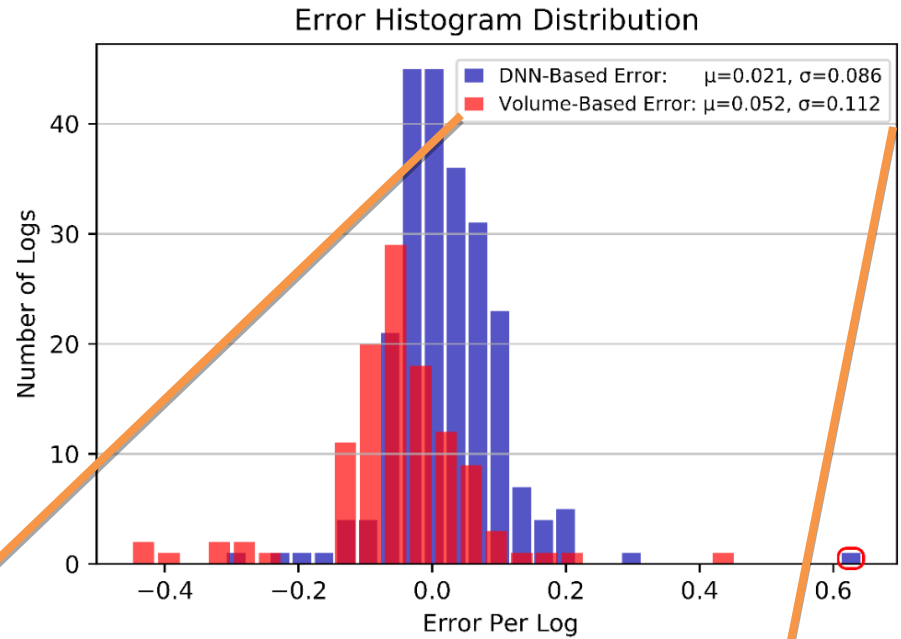
- Proper visualization techniques can support the investigation of DNN functionality.



# Robustness



# Histogram Distribution of Error and Outliers



■ DNN-Based Error:  $\mu=0.021, \sigma=0.086$   
■ Volume-Based Error:  $\mu=0.052, \sigma=0.112$

# Questions

# Questions?

# References

- [1] Graeme Cox, H Harris, R Pax, and R Dick. Monitoring cane yield by measuring mass flow rate through the harvester. In PROCEEDINGS-AUSTRALIAN SOCIETY OF SUGAR CANE TECHNOLOGISTS, pages 152{157. WATSON FERGUSON AND COMPANY, 1996
- [2] G Cox, H Harris, and R Pax. Development and testing of a prototype yield mapping system. In Proceedings-Australian Society of Sugar Cane Technologists, pages 38{43. WATSON FERGUSON AND COMPANY, 1997.
- [3] NB Pagnano and PG Magalhaes. Sugarcane yield measurement. facultade de engenharia agricola unicamp campinas sp, brazil 13083-970. In Proceeding of 3rd European Conference on Precision Agriculture, pages 839{844, 2001.
- [4] JP Molin and LAA Menegatti. Field-testing of a sugar cane yield monitor in brazil. In 2004 ASAE Annual Meeting, page 1. American Society of Agricultural and Biological Engineers, 2004.
- [5] Domingos GP Cerri and Paulo Graziano Magalh~aes. Sugar cane yield monitor. In 2005 ASAE Annual Meeting, page 1. American Society of Agricultural and Biological Engineers, 2005.
- [6] Mike Mailander, Caryn Benjamin, Randy Price, and Steven Hall. Sugar cane yield monitoring system. Applied engineering in agriculture, 26(6):965-969, 2010.
- [7] Cox, Graeme J. "A yield mapping system for sugar cane chopper harvesters." PhD diss., University of Southern Queensland, 2002.
- [8] Mike Mailander, Caryn Benjamin, Randy Price, and Steven Hall. Sugar cane yield monitoring system. Applied engineering in agriculture, 26(6):965{969, 2010
- [9] RR Price, RM Johnson, RP Viator, J Larsen, and A Peters. Fiber optic yield monitor for a sugarcane harvester. Transactions of the ASABE, 54(1):31-39, 2011

# Empty Slide

# Empty Slide

# Volumetric-Based Approach to Mass Estimation

- ~ Instant volume measurement is available
- Ground truth (true mass) is only available by run
- Ground truth (true mass) is only available by run

$$\frac{\text{MASS}}{\text{sec}} = \frac{\text{Volume}}{\text{sec}} \times \text{DENSITY}$$

$$Mass = f(\max(V - \beta, 0); \theta) \times \max(V - \beta, 0) \times v_{elev} \times t$$

Where "f" is a 2-layer neural network parameterized by "θ" that outputs a prediction of density based on the volume (V), scaled by elevator speed ( $v_{elev}$ ) and capture time (t), with tanh activation

Where "f" is a 2-layer neural network parameterized by "" that outputs a prediction of density based on the volume (V), scaled by elevator speed () and capture time (t), with tanh activation.

Using neural network including low light runs: **12.58%**

Using neural network without low light runs: **8.65%**

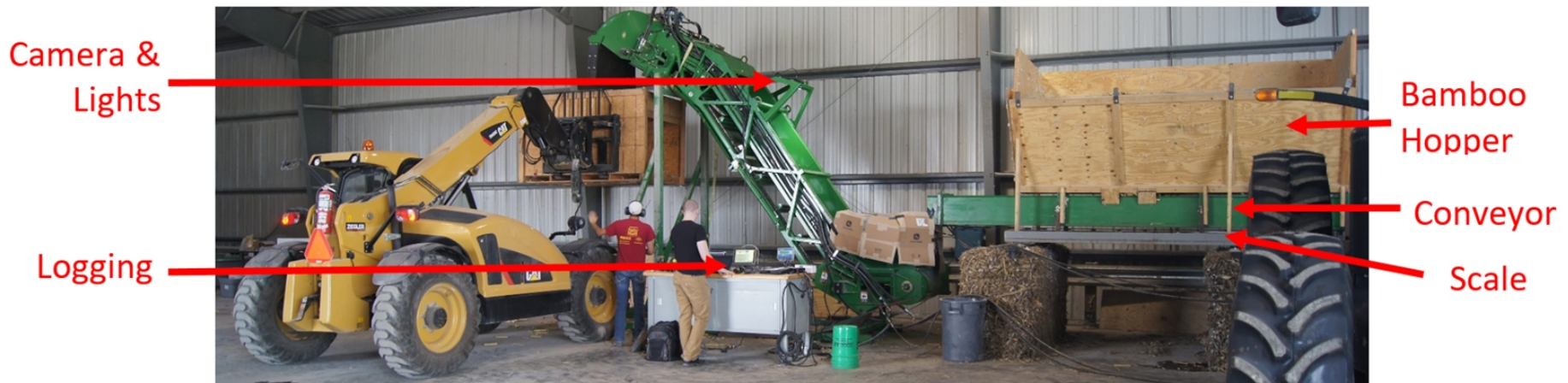


# Data Summary

## Laboratory data summary

| Location | Runs | Samples | Material | Representation         | Environment |
|----------|------|---------|----------|------------------------|-------------|
| ISU      | 239  | >120K   | Bamboo   | Images and point cloud | Controlled  |

## Laboratory setup



# Temporal Smoothness

- Images near in time should have more similarity in mass than images further away in time
- Hyper-parameter  $\lambda$  (chosen empirically 0.05)
- This term is added to the loss function

$$L_i(x, y; w) = \frac{1}{n_i} \left\{ y_i - \sum_{j=1}^{n_i} (f(x_{ij}; w) \times v_{ij} \times t) \right\}^2 + \frac{\lambda}{n_i} \sum_{j=1}^{n_i} \left\{ f(x_{ij}; w) - f(x_{i(j-1)}; w) \right\}^2$$